

Inference at *
of proof for Lemma select_nth_tl:

$\vdash \forall T:\text{Type}, as:(T \text{ List}), n:\{0 \dots \|as\|\}, i:\{0..(\|as\| - n)^-\}. nth_tl(n;as)[i] = as[(i+n)]$
by (((CDToVarThen 'as' ListInd)
CollapseTHENM (Reduce 0)).)
CollapseTHENA (
(Auto_aux (first_nat 1:n) ((first_nat 1:n),(first_nat 3:n)) (first_tok :t) inil_term))).

1:

1. $T : \text{Type}$
 2. $T \text{ List}$
- $\vdash \forall n:\{0 \dots 0\}, i:\{0..(0 - n)^-\}. nth_tl(n;[])[i] = [][(i+n)]$

2:

1. $T : \text{Type}$
 2. $T \text{ List}$
 3. $u : T$
 4. $v : T \text{ List}$
 5. $\forall n:\{0 \dots \|v\|\}, i:\{0..(\|v\| - n)^-\}. nth_tl(n;v)[i] = v[(i+n)]$
- $\vdash \forall n:\{0 \dots \|v\|+1\}, i:\{0..(\|v\|+1 - n)^-\}. nth_tl(n;[u / v])[i] = [u / v][(i+n)]$